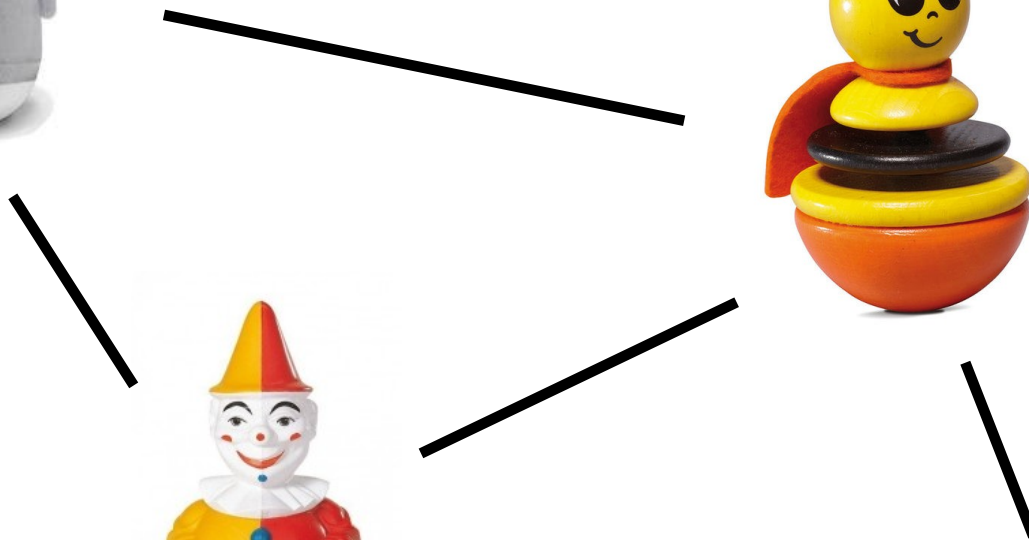


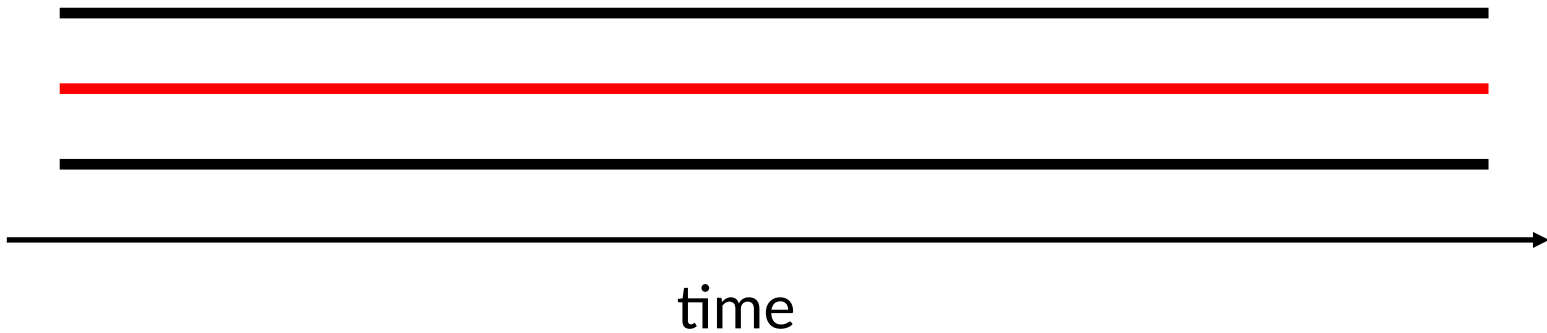
Self-Stabilization & Recovery



Model

TMP, but faults are not eternal any more!

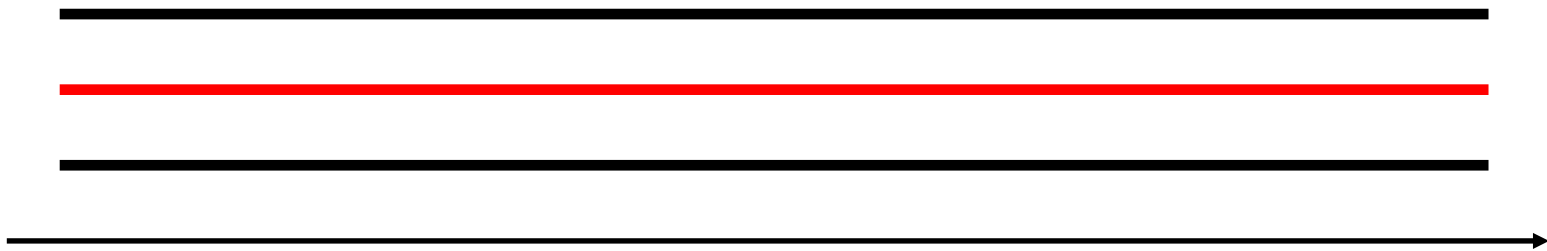
before:



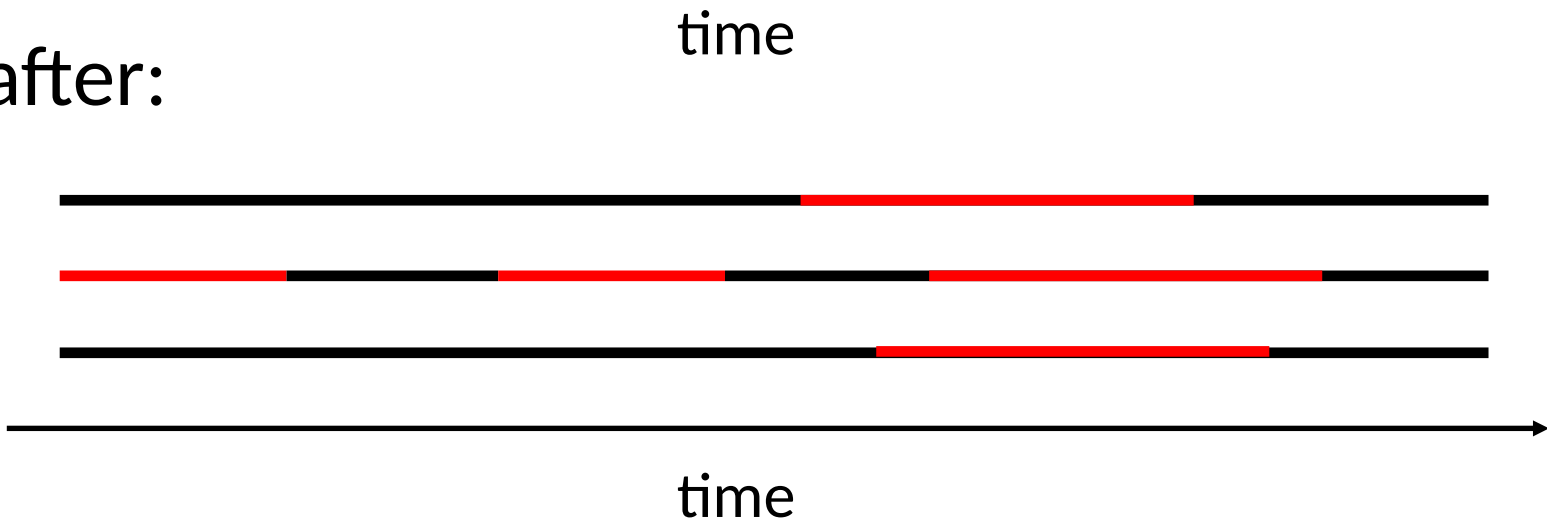
Model

TMP, but faults are not eternal any more!

before:

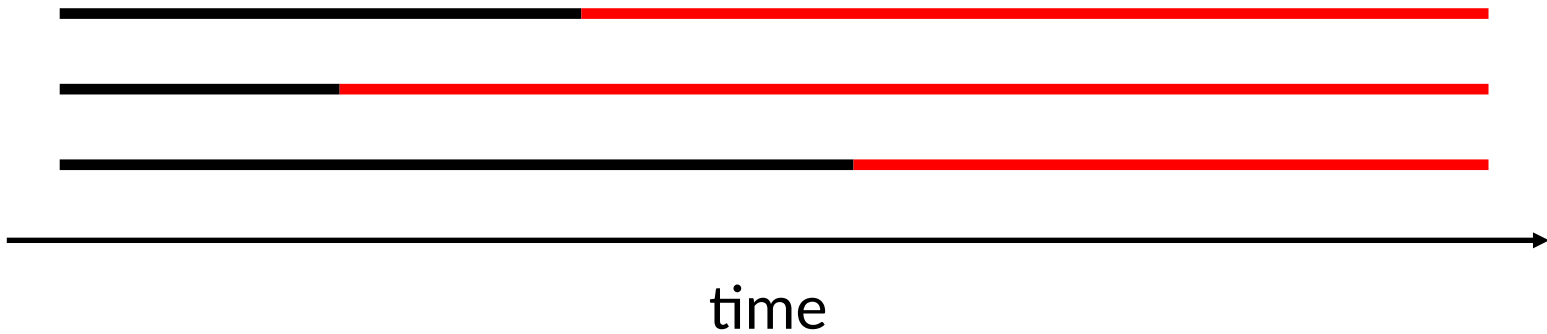


after:



What if Nodes Fail Randomly (in Time)?

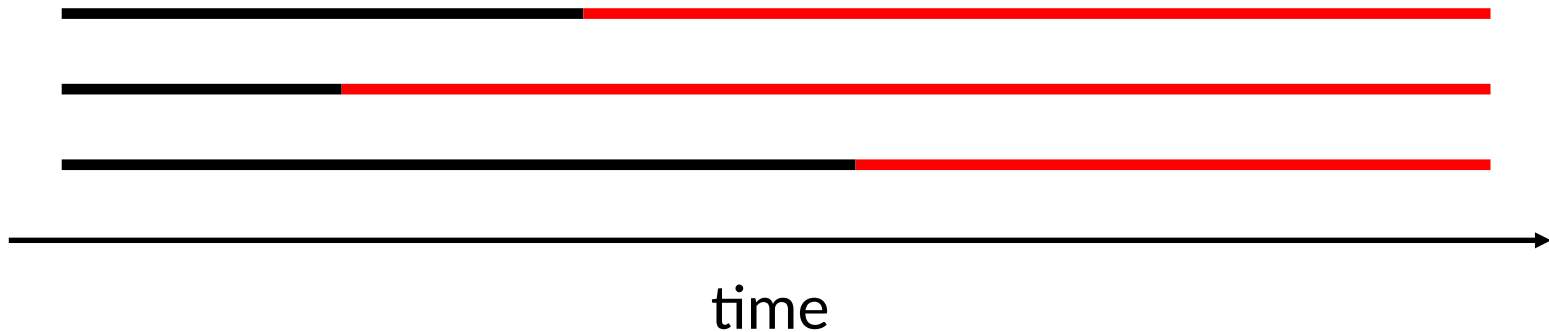
If there is no recovery mechanism:



System fails as soon as too many nodes failed!

What if Nodes Fail Randomly (in Time)?

If there is no recovery mechanism:



System fails as soon as too many nodes failed!

MBTF for error rate λ (single node):

$$\int e^{-\lambda t} dt = -e^{-\lambda \infty} / \lambda - (-e^{-\lambda 0} / \lambda) = 1 / \lambda$$

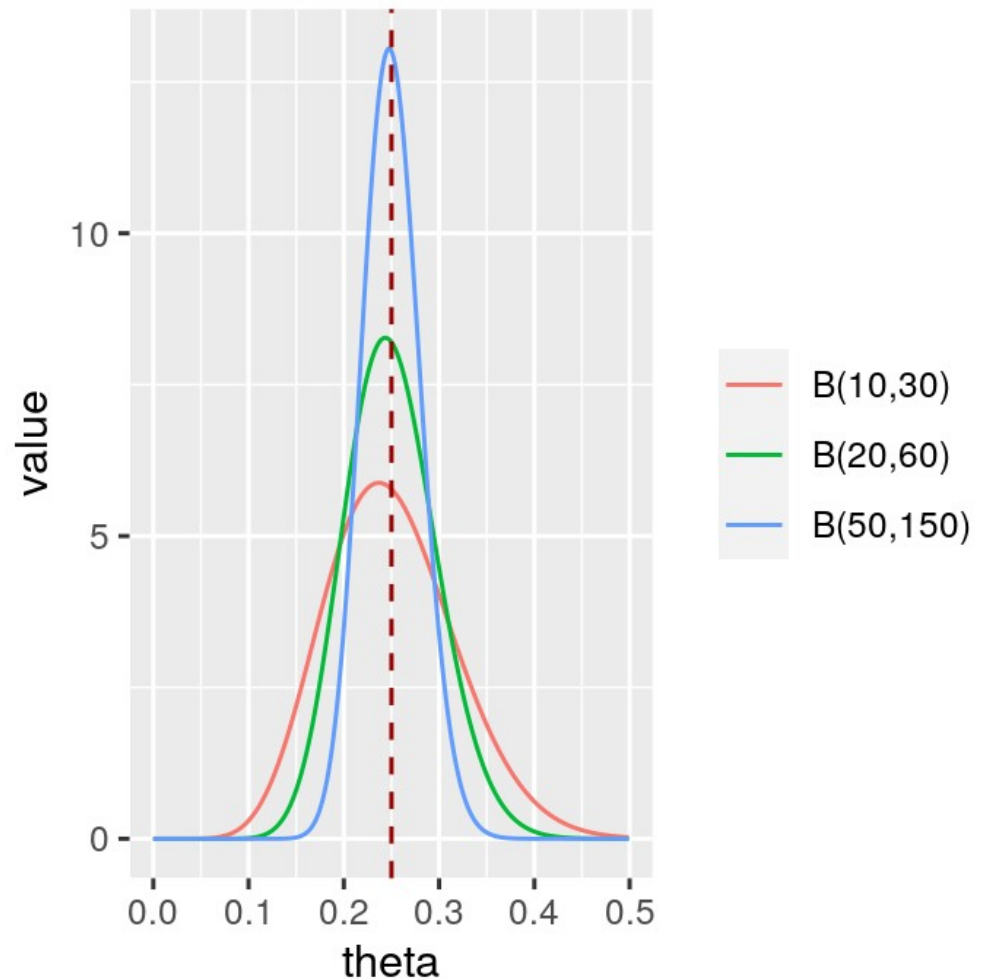
What if Nodes Fail Randomly (in Time)?

$$\begin{aligned} &P[\text{fail by time } t] \\ &= P[\leq 2/3 \text{ of nodes} \\ &\text{survive until time } t] \\ &= F(2n/3; n, e^{-\lambda t}), \end{aligned}$$

where

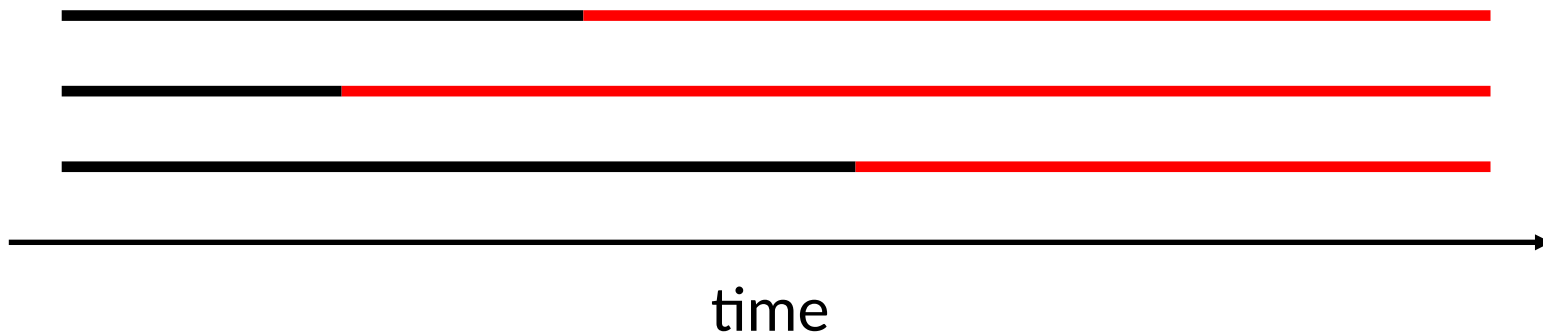
$$F(k; n, p) =$$

$P[n \text{ independent}$
 $\text{probability-}p \text{ coins}$
 $\text{show } \leq k \text{ heads}]$



What if Nodes Fail Randomly (in Time)?

If there is no recovery mechanism:



System fails once too many nodes failed!

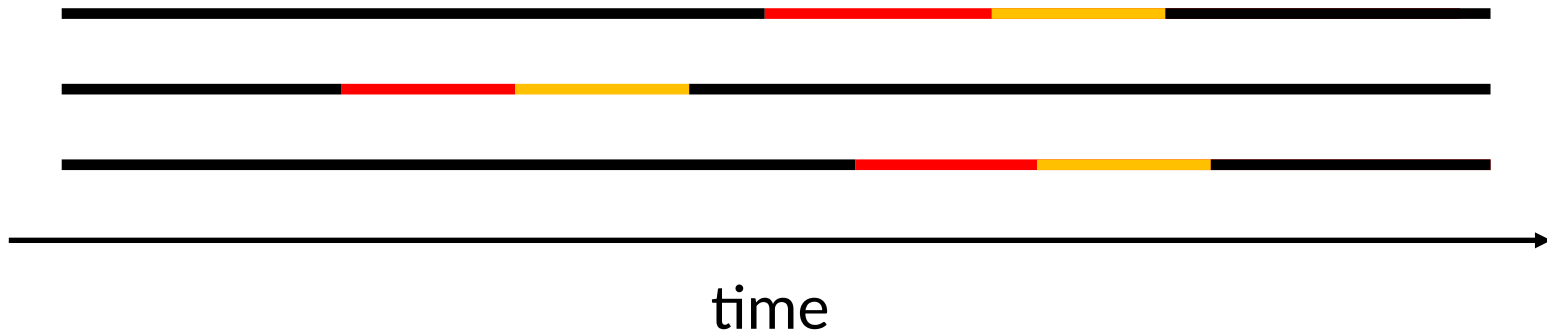
MBTF for error rate λ (n nodes, $<n/3$ faults):

$$\int 1-F(2n/3;n,e^{-\lambda t}) dt \rightarrow \ln(3/2)/\lambda < 1/\lambda,$$

because $e^{-\lambda t} = 2/3 \Rightarrow t = \ln(3/2)/\lambda$

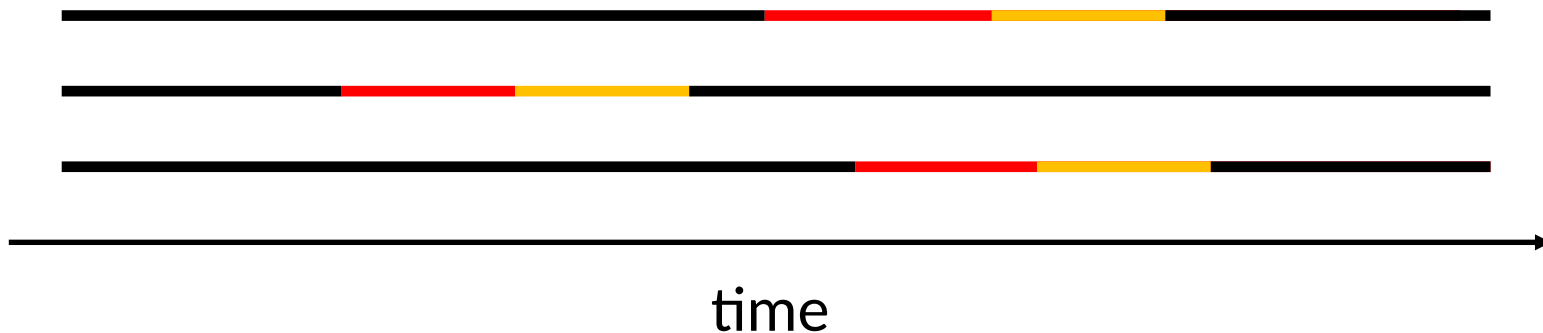
What if Nodes Fail Randomly (in Time)?

If we can ensure recovery within in time T:



What if Nodes Fail Randomly (in Time)?

If we can ensure recovery within in time T :



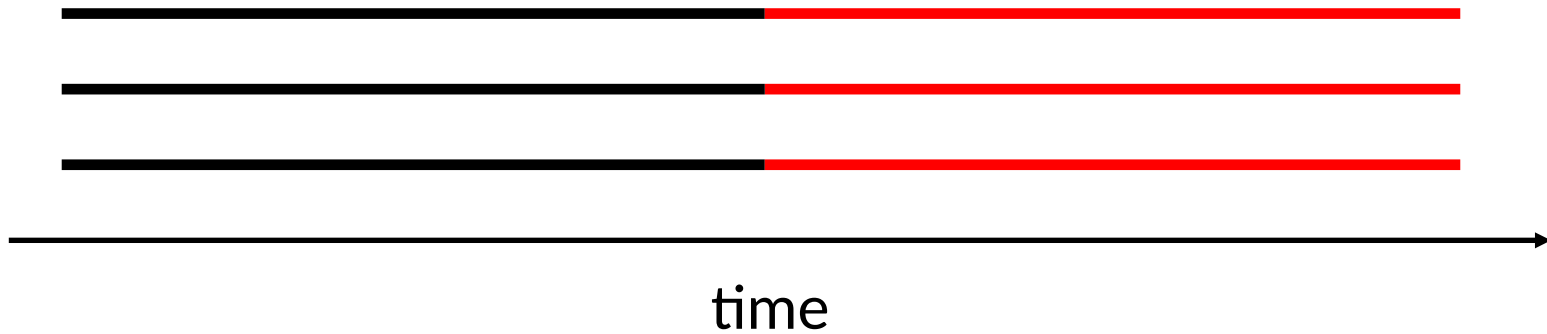
Balance tips at $1/\lambda = \theta(T)$ (T includes time for transient faults to end)

If $1/\lambda \ll T$: As $n \rightarrow \infty$, probability density for failing at any given time t tends to 0

If $1/\lambda \gg T$: prob. of fail state at time $t > 1/\lambda \rightarrow 1$

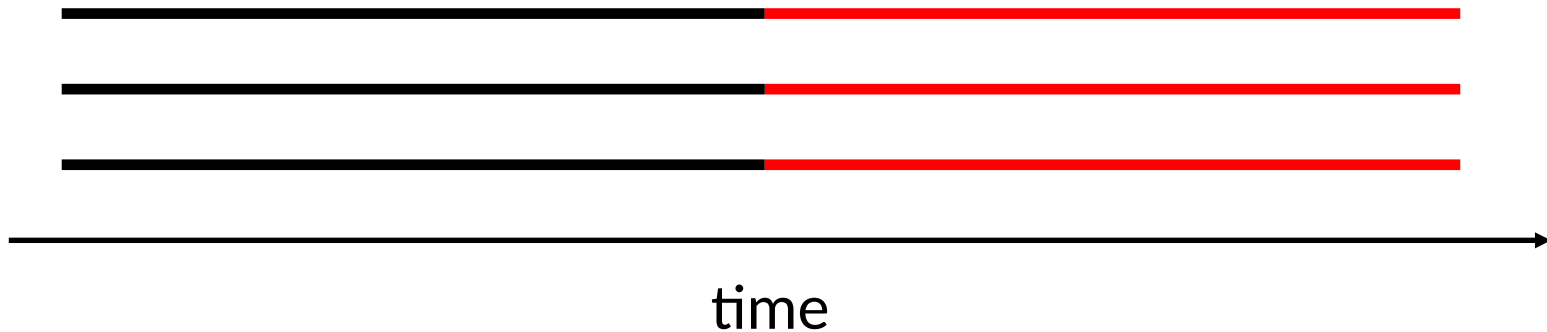
What if Nodes Fail Randomly (in Time)?

...but correlation still breaks things:



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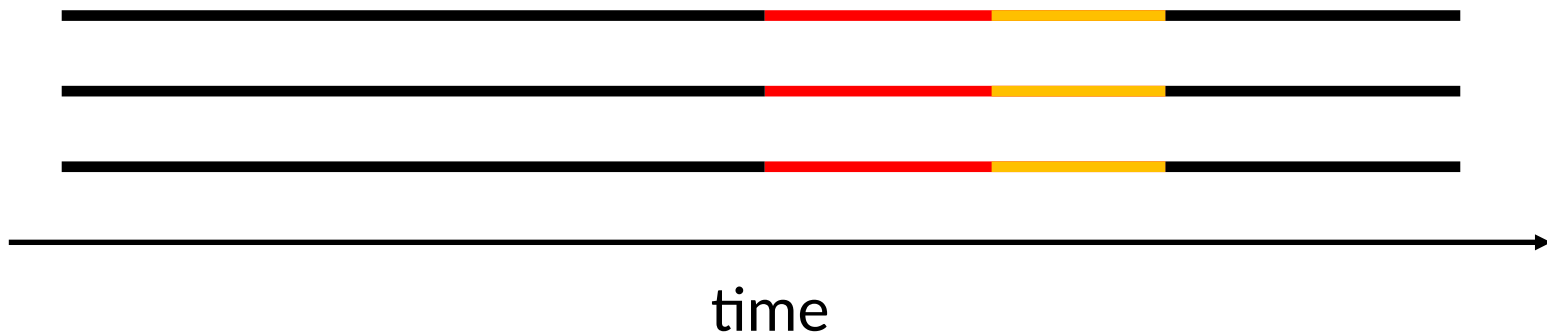


Failure rate λ per node, but all nodes fail together:

Equivalent to 1-node system!

What if Nodes Fail Randomly (in Time)?

...but correlation still breaks things:



Failure rate λ per node, but all nodes fail together:

Equivalent to 1-node system!

=> want recovery from arbitrary states!

This Chapter

today:

breakout session on selfstabilizing BFS tree
construction

(self-stabilization: recovery from arbitrary
transient faults \Rightarrow getting a correct result
from arbitrary initial state)

other sessions:

Up to you!

This Chapter

menu options for the other two sessions:

- Gradient Clock Synchronization (GCS):
 - + overview of algorithm
 - + proof of key lemmas & local skew
 - + showing stabilization (unbounded time)
 - + how unbounded skew breaks implementation
 - + showing stabilization (bounded time)
- Lynch-Welch with recovery:
 - + overview of algorithm
 - + proof sketch
 - + why it's not self-stabilizing

This Chapter

today:

breakout session on selfstabilizing BFS tree construction

(self-stabilization: recovery from arbitrary transient faults \Rightarrow getting a correct result from arbitrary initial state)

other sessions:

Up to you!