





## Schedule

17.10.2018	An Optimization Perspective
24.10.2018	Introduction to probabilities and
31.10.2018	An Optimization Perspective
07.11.2018	An Optimization Perspective
14.11.2018	An Optimization Perspective
21.11.2018	An Optimization Perspective
12.12.2018	Body Models 1
19.12.2018	Body Models 2
09.01.2019	Body Models 3
<del>16.01.2019</del> 11.01.2019	Sampling and Tracking
23.01.2019	Graphical Models in Computer Vision
06.02.2019	Wrap-up

#### What have we learned so far about bodies?

• BM1: Procrustes for rigid alignment



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- BM2: ICP, gradient-based ICP











#### What have we learned so far about bodies?

- BM1: Procrustes for rigid alignment
- BM2: ICP, gradient-based ICP
- BM3: Articulated models, Blendshapes, SMPL

#### SMPL Model Pipeline



**Template Mesh** 

Shape Blend Shapes

Pose Blend Shapes

Final Mesh

# Parameterized Skinning

Standard skinning  $W(\mathbf{T}, \mathbf{J}, \mathcal{W}, \vec{\theta}) \mapsto \text{vertices}$ 

#### SMPL model $M(\vec{\theta}, \vec{\beta}) = W(\mathbf{T}_F(\vec{\beta}, \theta), \mathbf{J}(\vec{\beta}), \mathcal{W}, \vec{\theta}) \mapsto \text{vertices}$

SMPL is skinning parameterized by pose  $\vec{\theta}$  and shape  $\vec{\beta}$ 

#### What is missing: today

- How do we fit SMPL to meshes without correspondences?
- Where is the color in those meshes?
- Autodiff in images? OpenDR
- Fitting bodies to images

 Problem: Given a registration, find the model pose and shape.



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from smpl.serialization import load\_model
sm = load\_model(path\_to\_downloaded\_model)
ch.minimize(point2point\_squared(dst\_pts=sm, org\_pts=Xch),
x0=[sm.betas, sm.pose])

Scan

Model

## SMPL tree: sm.show\_tree()



Chumpy minimizes the sum of squares of a vector valued error function

#### **Optimization variables (vector)**

Α

$$e(\mathbf{x}) = \sum_{i} \mathbf{e}_{i}(\mathbf{x})^{2} = \mathbf{e}(\mathbf{x})^{T} \mathbf{e}(\mathbf{x})$$

Sum of squares (scalar)

Residuals (vector valued error function)

Chumpy minimizes the sum of squares of a vector valued error function

$$e(\mathbf{x}) = \sum_{i} \mathbf{e}_{i}(\mathbf{x})^{2} = \mathbf{e}(\mathbf{x})^{T} \mathbf{e}(\mathbf{x})$$

ipdb> p2p\_yx = point2point\_squared(org\_pts=Xch, dst\_pts=sm)
ipdb> print(p2p\_yx)

- $\begin{bmatrix} 0.001 & 0.001 & ..., & 0.012 & 0.012 & 0.012 \end{bmatrix}$
- ipdb> p2p\_yx.shape

(6890,) as many elements as correspences between model and scan

Jacobian of the vector valued error function:

$$J_{\mathbf{e}}(\mathbf{x}) = \frac{d\mathbf{e}(\mathbf{x})}{d\mathbf{x}} = \begin{bmatrix} \frac{\partial \mathbf{e}_1}{\partial \mathbf{x}_1} & \cdots & \frac{\partial \mathbf{e}_1}{\partial \mathbf{x}_P} \\ & \ddots & \\ \frac{\partial \mathbf{e}_N}{\partial \mathbf{x}_1} & \cdots & \frac{\partial \mathbf{e}_N}{\partial \mathbf{x}_P} \end{bmatrix} \end{bmatrix} \mathbf{x}$$

P parameters



P parameters

ipdb> print(p2p\_yx.dr\_wrt(sm.betas).shape) (6890, 10) ipdb> print(p2p\_yx.dr\_wrt(sm.betas)[:5, :5].todense()) [[ -1.144e-04 -1.148e-04 3.350e-05 -2.048e-05 8.550e-06] [ 3.490e-04 -4.617e-05 -1.243e-04 -7.371e-05 3.262e-05] [ 5.642e-04 -1.518e-04 -2.017e-04 -1.487e-04 9.339e-05] [ 2.437e-04 -2.448e-04 -9.368e-05 -1.272e-04 9.360e-05] [ 8.284e-04 -1.090e-04 -2.925e-04 -1.700e-04 9.579e-05]]



### Which one will fail?



### Which one will fail?





### Problems?

Unlikely pose



## Problems?

- Unlikely pose
- Unlikely shape



# Problems?

- Difficult pose
- Difficult shape
- Bad initialization



# $\vec{\theta}, \vec{\beta} = \arg\min_{\vec{\theta}, \vec{\beta}} \|M(\vec{\theta}, \vec{\beta}) - \mathbf{V}\|^2$

# $\vec{\theta}, \vec{\beta} = \arg\min_{\vec{\theta}, \vec{\beta}} \|M(\vec{\theta}, \vec{\beta}) - \mathbf{V}\|^2 + E_{\theta}(\vec{\theta})$



# $\vec{\theta}, \vec{\beta} = \arg\min_{\vec{\theta}, \vec{\beta}} \|M(\vec{\theta}, \vec{\beta}) - \mathbf{V}\|^2$





# $\vec{\theta}, \vec{\beta} = \arg\min_{\vec{\theta}, \vec{\beta}} \|M(\vec{\theta}, \vec{\beta}) - \mathbf{V}\|^2$

$+ E_{\theta}$	$(\vec{ heta})$
----------------	-----------------



Mahalanobis distance induced by distribution  $\mathcal{N}(\vec{\mu}_{\theta}, \Sigma_{\theta})$ 

 $E_{\theta}(\vec{\theta}) \equiv (\vec{\theta} - \vec{\mu_{\theta}})^T \Sigma_{\theta}^{-1} (\vec{\theta} - \vec{\mu_{\theta}})$  $E_{\beta}(\vec{\beta}) \equiv (\vec{\beta} - \vec{\mu_{\beta}})^T \Sigma_{\beta}^{-1} (\vec{\beta} - \vec{\mu_{\beta}})$ 

- What makes it so jumpy?
  - Correspondences change abruptly!



# Point-to-point distance



# Point-to-point distance


# Point-to-point distance



## Point-to-surface distance



## Point-to-surface distance



# Point-to-surface distance



Implementation requires taking care of special cases when v falls in edges or points



# Advanced registration

- Better pose priors
  - Non-parametric



A Non-parametric Bayesian Network Prior of Human Pose, Lehrman et al

# Fitting SMPL to a scan/mesh

- Better pose priors
  - Non-parametric
  - Dynamic



Efficient Nonlinear Markov Models for Human Motion, Lehrman et al

# Fitting SMPL to a scan/mesh

- Better pose priors
  - Non-parametric
  - Dynamic
- Better initialisation



 From previous frame, from discriminative approaches, from graphical models

The Stitched Puppet: A Graphical Model of 3D Human Shape and Pose, Zuffi and Black

# Fitting SMPL to a scan/mesh

- Better pose priors
  - Non-parametric
  - Dynamic
- Better initialisation



- From previous frame, from discriminative approaches, from graphical models
- Other information: appearance (color)!

#### Why appearance

#### More realism

#### More accurate correspondences



#### Representing appearance

#### Vertex coloring



# Decouple geometry and appearance resolution



#### Representing appearance

#### Texture mapping



#### **Texture mapping**



#### How do we create texture maps?

Problem: combining multiple views of a 3D surface







Problem: combining multiple views of a 3D surface





original pixels mapped to U

visibility of original pixels in U

original image



















#### image









image









#### image







#### That's all, no?



# This slide is wrong: have all the vertices the same shading ?



#### This one has a single shading





## Albedo and shading

Albedo is constant: depends on physical properties of the surface Shading is transient: given by the interplay between surface reflectance and lighting



real image







shading

#### **Reflectance models**

Lambertian reflectance



## Lighting models

Point light sources



## Lighting models

Spherical Harmonics (SH)

Lighting as a function over the sphere, projected onto a low-order SH basis

Simple and efficient for diffuse environments



Sloan et al., SIGGRAPH 2002. Basri et al., IEEE TPAMI, 2003
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## Modeling all together



#### Forward rendering process



## Gradient-based optimization?

- We want to exploit images to obtain better registrations
- We saw that we can optimise a function given its derivatives
- Most of the functions involved in the rendering are linear operators
- Anybody wants to write the jacobians by hand?

## OpenDR

An open source differentiable rendering framework for:

- approximating a rendering process
- differentiating this approximation
- finding parameter estimates



http://open-dr.org

Loper and Black, ECCV 2014.

## OpenDR



# Appearance-based registration

# Building an appearance model



#### Appearance-based error term



texture map U

#### New registration objective

 $\vec{\theta}, \vec{\beta} = \arg\min_{\vec{\theta}, \vec{\beta}} \|M(\vec{\theta}, \vec{\beta}) - \mathbf{V}\|^2$  $+ E_{\theta}(\vec{\theta})$  $+ E_{\beta}(\vec{\beta})$ +  $E_U(\mathbf{I}, \mathbf{K}, \mathbf{U}, M(\vec{\theta}, \vec{\beta}))$  $E_U \equiv \sum \|\mathbf{I}_i - r(M(\vec{\theta}, \vec{\beta}), \mathbf{U}, \mathbf{K}_i)\|^2$ 

## With OpenDR...

import chumpy as ch
import cv2
from opendr.camera import ProjectPoints
from opendr.renderers import TexturedRenderer

# Load meshes, create other objectives...
# ...

```
# Define the error term
obj = rn - cv2.imread(real_img_path)
```

```
# Minimize
ch.minimize(obj, x0=[m.v], method='dogleg')
```

• The appearance objective function has MANY local minima





- The appearance objective function has MANY local minima
  - Pyramids of blurred images help

scan model
gradient



- The appearance objective function has MANY local minima
  - Pyramids of blurred images help
- The dimensionality of this objective is much bigger than the geometric one
  - Optimisation will be slower

- The appearance objective function has MANY local minima
  - Pyramids of blurred images help
- The dimensionality of this objective is much bigger than the geometric one
  - Optimisation will be slower
- Open problems: Lighting optimisation? Occlusions?

# Take-home message

- Optimising SMPL pose and shape with chumpy is easy
  - But the devil is in the details: point2surface, regularisers
- We can add color to our model either with per-vertex colors, or texture maps
- Apart from making the model match the scan geometrically, we can make it match in terms of COLOR
- OpenDR differentiates the rendering process for us