High Level Computer Vision: Attacks on Computer Vision Models

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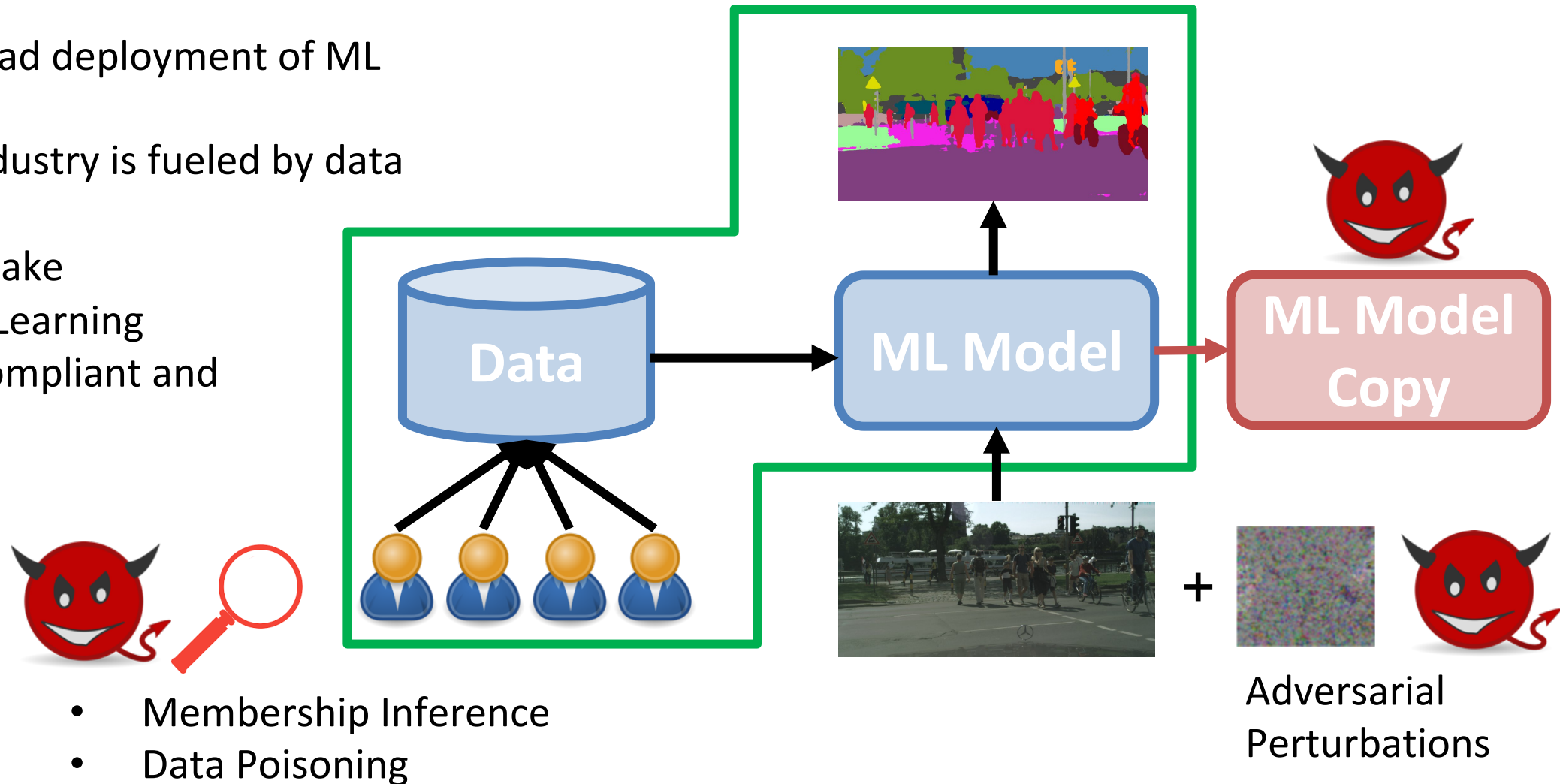
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Outline

- Landscape of attacks on Computer Vision Models

- Adversarial Perturbations

- Data Poisoning

- Membership Inference

- Reverse Engineering and Model Stealing

- Watermarking

Privacy & Security in Machine Learning: Towards Trustworthy AI

- Widespread deployment of ML

- Future industry is fueled by data

- How to make Machine Learning privacy compliant and secure?

Data → **ML Model** → **ML Model Copy**

- Membership Inference
- Data Poisoning

Adversarial Perturbations

S. Oh; M. Augustin; B. Schiele; M. Fritz; Towards Reverse-Engineering Black-Box Neural Networks; **ICLR'18**
S. Oh; M. Fritz; B.Schiele; Adversarial Image Perturbation for Privacy Protection -- A Game Theory Perspective **ICCV'17**
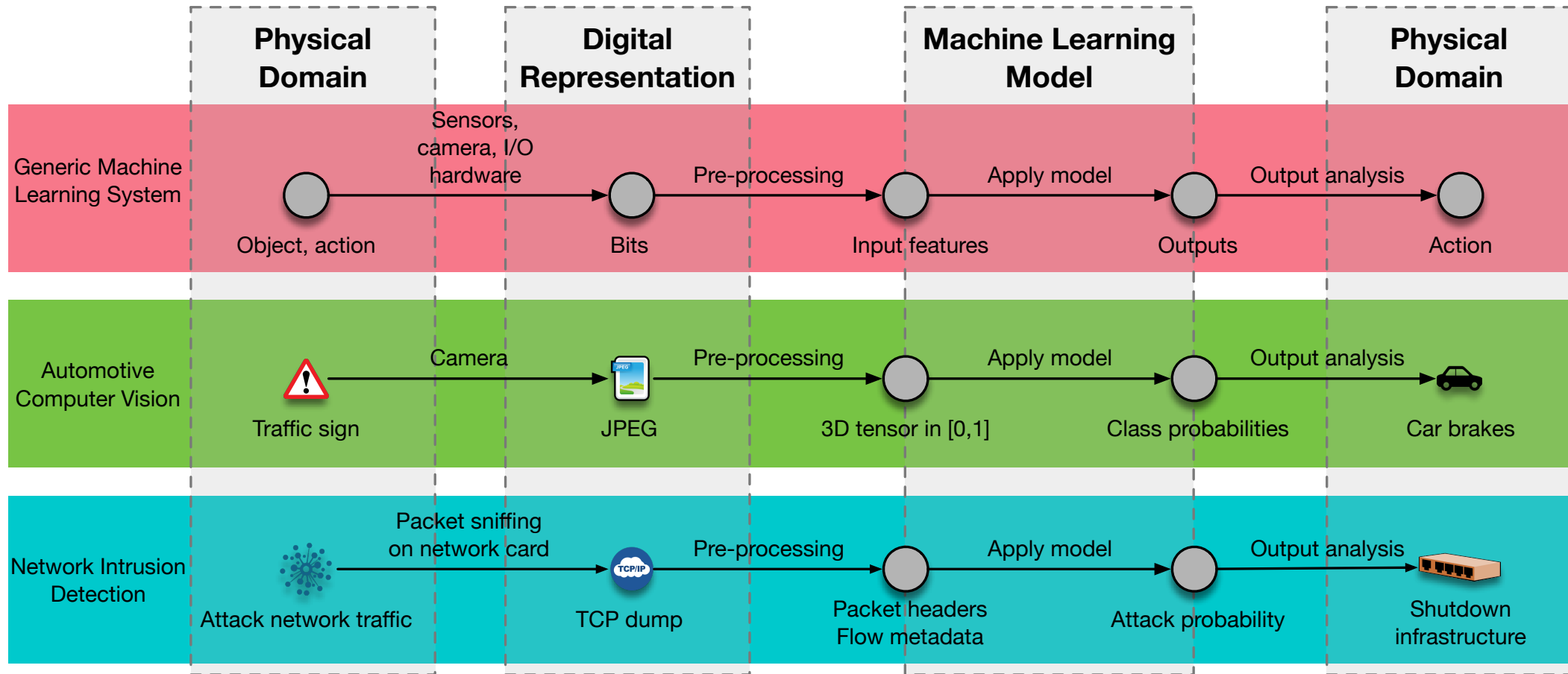A. Salem; Y. Zhang; M. Humbert; M. Fritz; M. Backes; ML-Leaks: Model and Data Independent Membership Inference Attacks and Defenses on Machine Learning Models **NDSS'19**

K.Grosse, N. Papernot, P.Manoharan, M. Backes, P. D. McDaniel: Adversarial Examples for Malware Detection. **ESORICS'17**
L. Hanzlik; Y, Zhang; K. Grosse; A. Salem; M. Augustin; M. Backes; M.Fritz; MLCapsule: Guarded Offline Deployment of Machine Learning as a Service; **ArXiv'18**
Tribhuvanesh Orekondy; Bernt Schiele; Mario Fritz; Knockoff Nets: Stealing Functionality of Black-Box Models **CVPR'19**

Machine Learning Systems' attack surface

Papernot'16: SoK: Towards the Science of Security and Privacy in Machine Learning

Goals: Confidentiality & Privacy

- **Membership Inference Attacks**

  – Trying to infer information on the training data

  – Only observing input/output

  – High capacity models partially memorize the training data

- **Model Inference Attacks**

  – Trying to infer information about the model

  – Only observing input/output

Goals: Integrity & Availability

- Reduce

  - Quality of model (confidence or consistency)

  - Performance (speed)

  - Access (denial of service)

- Manipulating

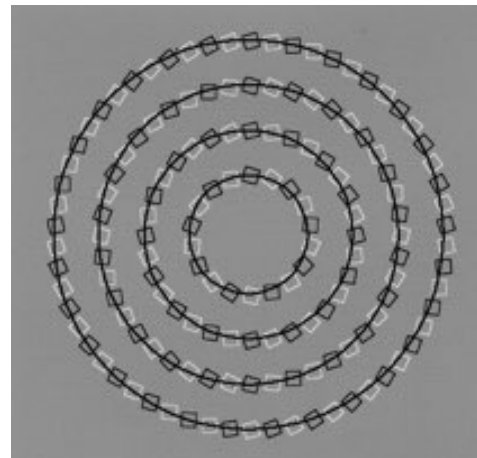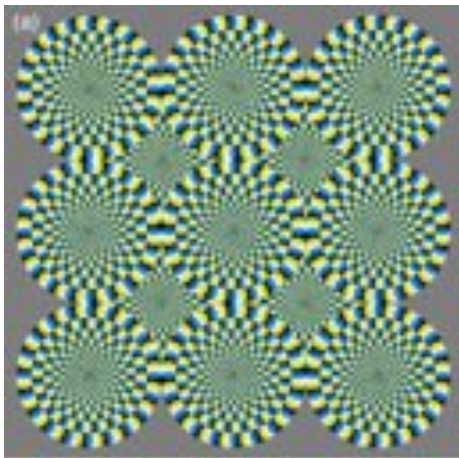 - Training data: Poisoning Attacks

  - Test data: Evasion Attacks

Evasion Attacks

Real World Data

Human crafted/manipulated data

Machine crafted/manipulated data

"Adversarial examples"

Schoolbus + Perturbation (rescaled for visualization) = Ostrich

(Szegedy et al, 2013)

Label: Panda + 0.007 = Label: Gibbon

STOP → Right of way

Evasion Attack

Training Data

Feature Space

Test Data

email

email

email

email

email

email

email

email

email

email

email

- Correct classification as non-SPAM
- Misclassification as non-SPAM
(true boundary)

Evasion Attack

Training Data

Feature Space

Test Data

email

email

email

email

email

email

email

email

email

email

email

- Correct classification as non-SPAM
- Misclassification as non-SPAM
  (true boundary)
- Misclassification due to evasion attack
  (space of proper emails)
  - Modeling error
  - Out of sample

- Has been shown to work for all kind of input data:

  – SPAM, malware, traffic signs, …

- We require some notion that the change is small "small"

  – E.G. L0 (how many dimensions unchanged), L2, L_infinity norm (what is the largest change)

  – Perceptual and domain specific norms are topic of research

Binary Classifier Evasion Attack

- Linear classifier / logistic regression

- Find direction with strongest change

  - Dimension with highest weight

- Move axis parallel until label changes

$$f(w, x) = \frac{1}{1 + e^{-(w_0 x_0 + w_1 x_1 + w_2)}}$$

- Empirical Risk Minimization

$$\min_{\theta} \rho(\theta), \quad \text{where} \quad \rho(\theta) = \mathbb{E}_{(x,y)\sim\mathcal{D}}\big[L(x, y, \theta)\big]$$

- Empirical Risk Minimization in adversarial conditions:

    - Saddle point: $\quad \min_{\theta} \rho(\theta), \quad \text{where} \quad \rho(\theta) = \mathbb{E}_{(x,y)\sim\mathcal{D}}\left[\max_{\delta\in\mathcal{S}} L(\theta, x + \delta, y)\right]$

    - Inner maximization finds adversarial versions with high loss

    - Outer minimization tries to find parameters so that "adversarial loss" of inner attack is minimized

Evasion Attacks: Fast Signed Gradient Method

$$\min_{\theta} \rho(\theta), \qquad \text{where} \qquad \rho(\theta) = \mathbb{E}_{(x,y)\sim\mathcal{D}} \left[\max_{\delta\in\mathcal{S}} L(\theta, x+\delta, y) \right]$$

- How to perform inner maximization? (Attack)

- Projected Gradient descent

- One step method: Fast Gradient Sign Method (FGSM)

$$x + \varepsilon \operatorname{sgn}(\nabla_x L(\theta, x, y))$$

- Multi-step method: FGSM^k

$$x^{t+1} = \Pi_{x+\mathcal{S}} \left(x^t + \alpha \operatorname{sgn}(\nabla_x L(\theta, x, y)) \right)$$

- For Training / Emperical Risk Minimization, we compute using backprop

$$\nabla_\theta L(\theta, x, y)$$

- In the same manner we can use backprop to compute

$$\nabla_x L(\theta, x, y)$$

- This can also be used for interpretation:

  - How do I need to change my input to increase/decrease the loss

- However, this needs white box access in order to compute the gradient

$$\min_{\theta} \rho(\theta), \quad \text{where} \quad \rho(\theta) = \mathbb{E}_{(x,y)\sim\mathcal{D}}\left[\max_{\delta\in\mathcal{S}} L(\theta, x + \delta, y)\right]$$

- Up to now – untargeted attack: "only" increase loss

  – Targeted attack:

$$\min_{\theta} \rho(\theta), \quad \text{where} \quad \rho(\theta) = \mathbb{E}_{(x,y)\sim\mathcal{D}}\left[\max_{\delta\in\mathcal{S}} L_y(\theta, x + \delta, y)\right]$$

- Constraint optimization with Lagrange multiplier

$$\min_{\theta} \rho(\theta), \quad \text{where} \quad \rho(\theta) = \mathbb{E}_{(x,y)\sim\mathcal{D}}\left[\max_{\delta} L_y(\theta, x + \delta, y) - \lambda d(x, x + \delta)\right]$$

- Assumption:

  - We A is not white box, B is. Use B to attack A!

  - Gradient of Loss on model A also increases loss of model B

  - Usually not the case

- Can be improved by make a guess / training a classifier to predict model family

  - Difficult

- Generate adversarial examples over ensemble

$$\min_{\theta} \rho(\theta), \quad \text{where} \quad \rho(\theta) = \mathbb{E}_{(x,y)\sim\mathcal{D}} \left[\max_{\delta\in\mathcal{S}} L(\theta, x + \delta, y) \right]$$
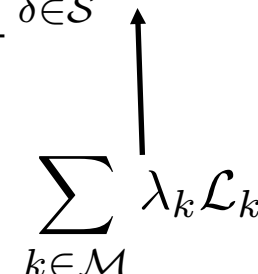
$$\sum_{k\in\mathcal{M}} \lambda_k \mathcal{L}_k$$

Black-Box Evasion Attacks: Transferability

- **Naïve approach**

	RMSD	ResNet-152	ResNet-101	ResNet-50	VGG-16	GoogLeNet
ResNet-152	23.13	100%	2%	1%	1%	1%
ResNet-101	23.16	3%	100%	3%	2%	1%
ResNet-50	23.06	4%	2%	100%	1%	1%
VGG-16	23.59	2%	1%	2%	100%	1%
GoogLeNet	22.87	1%	1%	0%	1%	100%

- **Use ensemble to generate adversarial examples!**

	RMSD	ResNet-152	ResNet-101	ResNet-50	VGG-16	GoogLeNet
-ResNet-152	30.68	38%	76%	70%	97%	76%
-ResNet-101	30.76	75%	43%	69%	98%	73%
-ResNet-50	30.26	84%	81%	46%	99%	77%
-VGG-16	31.13	74%	78%	68%	24%	63%
-GoogLeNet	29.70	90%	87%	83%	99%	11%

- Model specific attacks:

  – Break model A

  – Leave model B alone

$$\min_{\theta} \rho(\theta), \quad \text{where} \quad \rho(\theta) = \mathbb{E}_{(x,y)\sim\mathcal{D}} \left[\max_{\delta\in\mathcal{S}} L(\theta, x + \delta, y) \right]$$

$$\sum_{k\in\mathcal{M}} \lambda_k \mathcal{L}_k - \sum_{k'\in\mathcal{B}} \lambda_{k'} \mathcal{L}_{k'}$$

Malicious models   Benign models

Setup			$\mathcal{M}$ averaged		$\mathcal{B}$ averaged	
$\mathcal{M}$	$\mathcal{B}$	L_2	w/o AIP	w/ AIP	w/o AIP	w/ AIP
{G}	$\emptyset$	1000	87.8	4.0	-	-
{G}	{A}	1000	87.8	8.7	83.8	97.9
{A,R}	{V,G}	1000	87.4	17.7	87.0	97.7
{A,R}	{V,G}	2000	87.4	3.8	87.0	97.8

$$\sum_{k \in \mathcal{M}} \lambda_k \mathcal{L}_k - \sum_{k' \in \mathcal{B}} \lambda_{k'} \mathcal{L}_{k'}$$

24

- Numerical approximation of gradient

$$\hat{g}_i := \frac{\partial f(\mathbf{x})}{\partial \mathbf{x}_i} \approx \frac{f(\mathbf{x} + h\mathbf{e}_i) - f(\mathbf{x} - h\mathbf{e}_i)}{2h}$$

- Stochastic coordinate descent

Algorithm 1 Stochastic Coordinate Descent

1: **while** not converged **do**
2:     Randomly pick a coordinate $i \in \{1, \ldots, p\}$
3:     Compute an update δ^* by approximately minimizing

$$\arg\min_{\delta} f(\mathbf{x} + \delta\mathbf{e}_i)$$

4:     Update $\mathbf{x}_i \leftarrow \mathbf{x}_i + \delta^*$
5: **end while**

Defenses against evasion attacks

- Ensembles

- Dimensionality Reduction PCA or auto-encoder

- "Denoising"

- Transformations (feature squeezing, noise, jpeg, crop)

- Detection

- … unfortunately non of these really work …

- In most cases – including the defense in the attack – there is no strong effectg

- Large body of work – limited progress so far

Topology of Evasion Attacks

- Notion of small perturbation / similar input
  - L0, L2, Linf
- One step vs multi-step method
- Projected Gradient vs Largange Optimiztion
- White box vs. black box
- Black box:
  - Transferability attacks
  - Numerical gradient
- Defenses
  - Adversarial Training

- Adversarial Training:

  – Minimize for a maximizer of inner optimization

  – Iterate

$$\min_{\theta} \rho(\theta), \quad \text{where} \quad \rho(\theta) = \mathbb{E}_{(x,y)\sim\mathcal{D}} \left[\max_{\delta\in\mathcal{S}} L(\theta, x+\delta, y) \right]$$
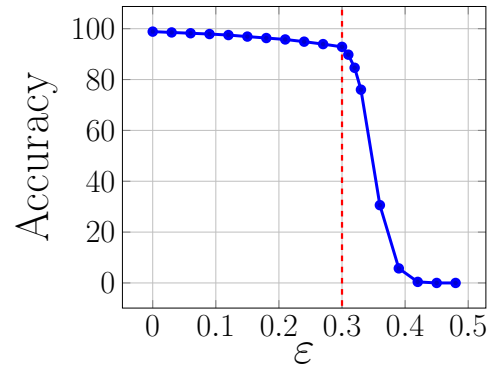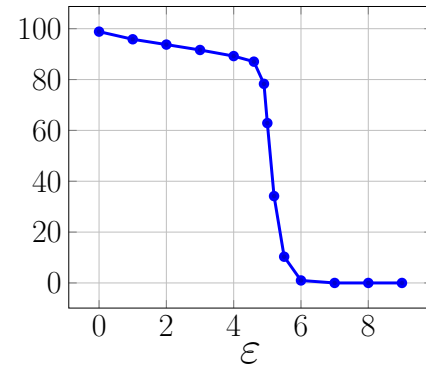
Maximize (attack)

Minimize (defend)

Maximize (attack)

Minimize (defend)

...

...

29

Evasion Attacks Defenses: Adversarial Training

(a) MNIST, ℓ_∞ norm   (b) MNIST, ℓ_2 norm   (c) CIFAR10, ℓ_∞ norm   (d) CIFAR10, ℓ_2 norm

- For datasets with lots of training data:
  - Robustness for small norm balls
- No defenses for bigger norm balls
- At some point – semantic shifts

Natural: 9   Natural: 9   Natural: 8   Natural: 8   Natural: 2
Adversarial: 7   Adversarial: 4   Adversarial: 5   Adversarial: 3   Adversarial: 3

Conclusion so far

- We are still in a cat and mouse game

- Small norm balls can be defended (only perturbations with semantic shifts can be found)

- Perturbations are still a problem in large norm balls

- Theoretical guarantees have only been shown for small networks / simplified problems

- Choice of norm is unclear / task dependent. L0-Linf norm is convenience than motivated choice

- Maybe Bayes Deep Learning, Gaussian Processes can provide a solution …

cleverhans

https://github.com/tensorflow/cleverhans

Advanced Attacks on AI/ML:
Reverse Engineering and Model Stealing
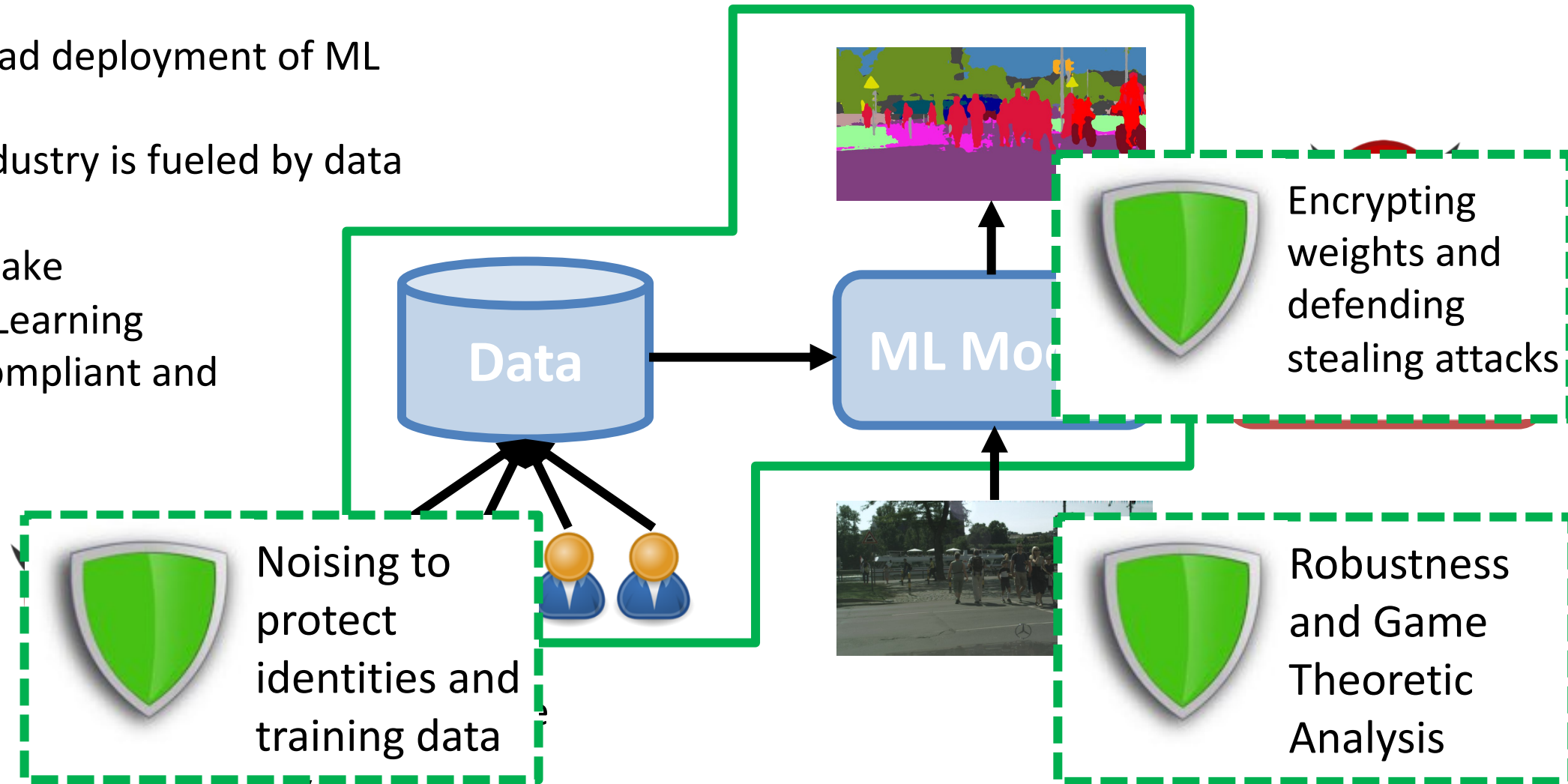
Seong Joon Oh; Max Augustin; Bernt Schiele; Mario Fritz
Towards Reverse-Engineering Black-Box Neural Networks Inproceedings
ICLR'18

Tribhuvanesh Orekondy; Bernt Schiele; Mario Fritz
Knockoff Nets: Stealing Functionality of Black-Box Models
CVPR'19

Privacy & Security in Machine Learning

- Widespread deployment of ML

- Future industry is fueled by data

- How to make Machine Learning privacy compliant and secure?

Encrypting weights and defending stealing attacks

Noising to protect identities and training data

Robustness and Game Theoretic Analysis

S. Oh; M. Augustin; B. Schiele; M. Fritz; Towards Reverse-Engineering Black-Box Neural Networks; **ICLR'18**
S. Oh; M. Fritz; B.Schiele; Adversarial Image Perturbation for Privacy Protection -- A Game Theory Perspective **ICCV'17**
A. Salem; Y. Zhang; M. Humbert; M. Fritz; M. Backes; ML-Leaks: Model and Data Independent Membership Inference Attacks and Defenses on Machine Learning Models **ArXiv'18**

K.Grosse, N. Papernot, P.Manoharan, M. Backes, P. D. McDaniel: Adversarial Examples for Malware Detection. **ESORICS'17**
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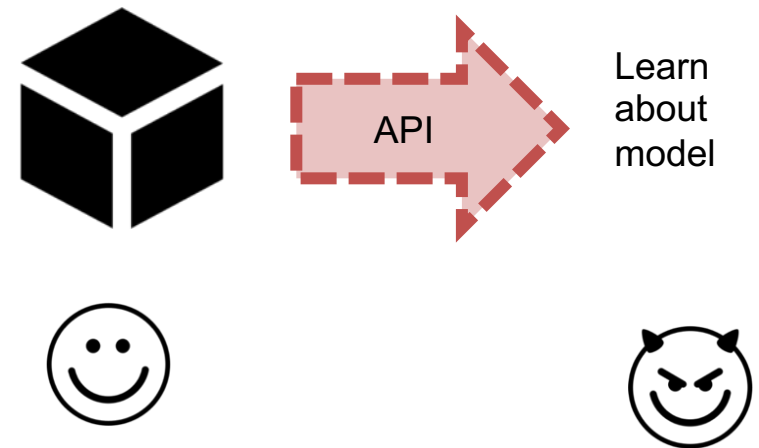
- Many deployed models are black boxes, APIs (given input, returns output).

- Can black-box accesses reveal model internals? e.g.

  - Architecture

  - training procedure

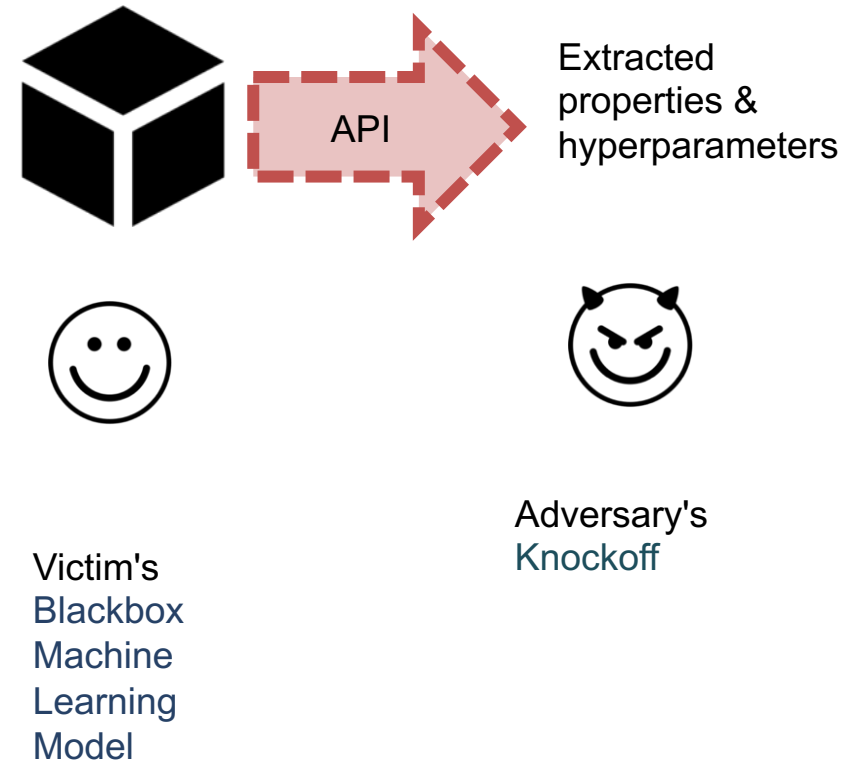 - Data

  - Functionality

API

Learn about model

- Why does it matter? Key intellectual property, monetization and increased vulnerability to other attacks.

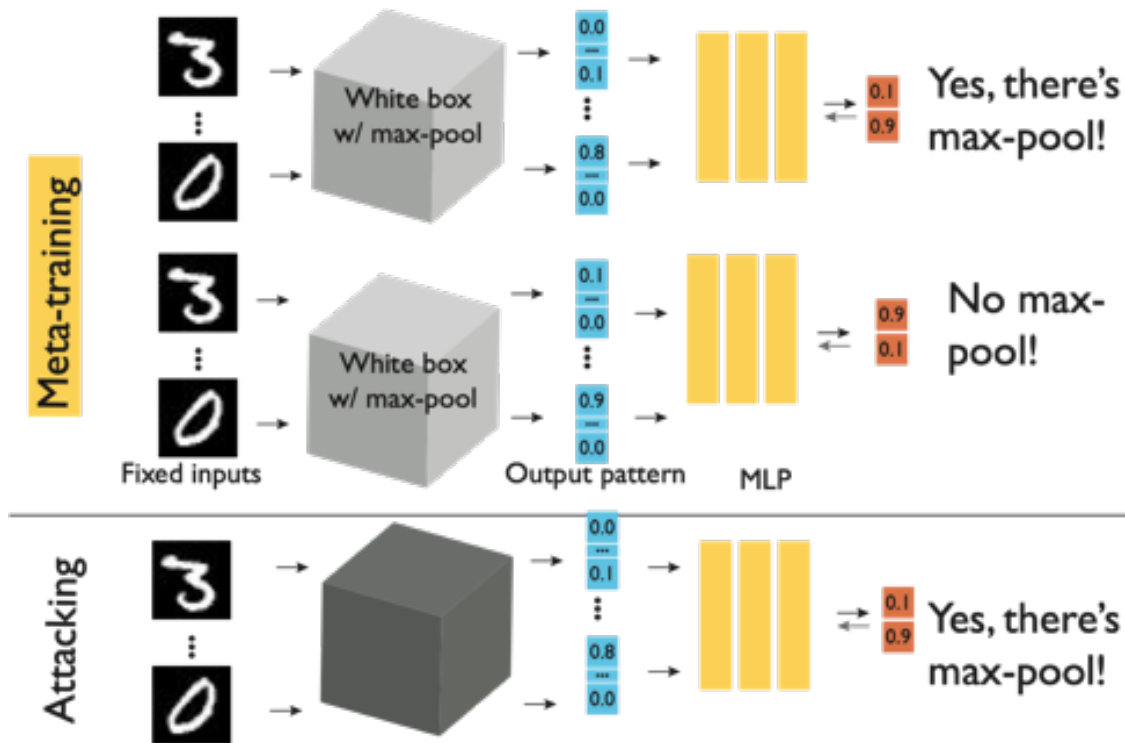- State of the art deep learning architectures are defined by many hyper parameters
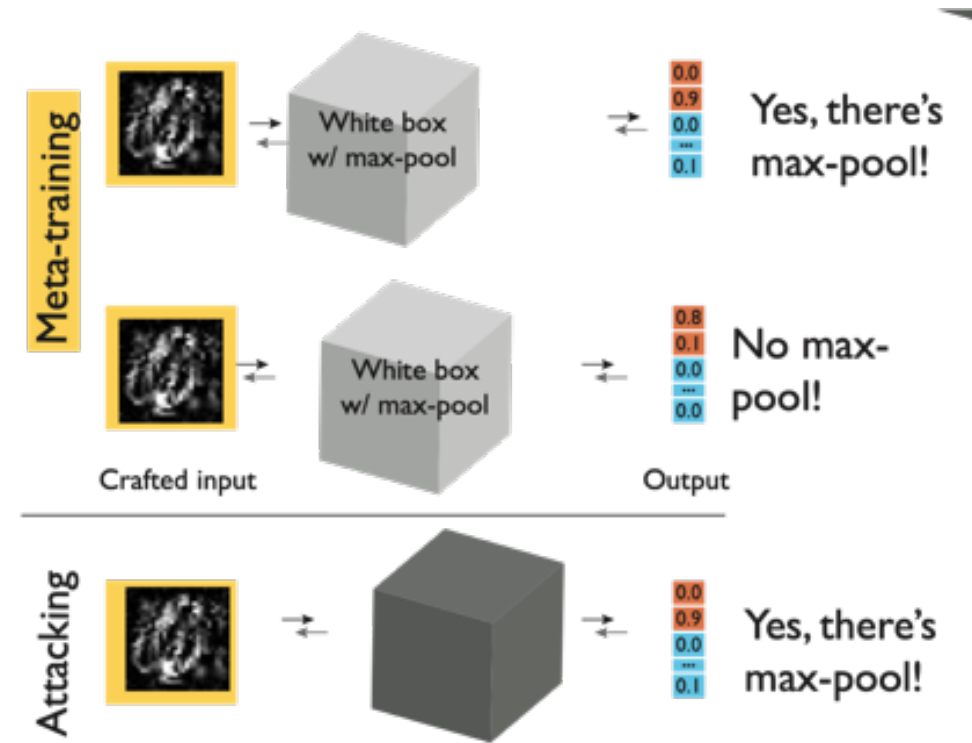
F_V

	Code	Attribute	Values
Architecture	act	Activation	ReLU, PReLU, ELU, Tanh
	drop	Dropout	Yes, No
	pool	Max pooling	Yes, No
	ks	Conv ker. size	3, 5
	#conv	#Conv layers	2, 3, 4
	#fc	#FC layers	2, 3, 4
	#par	#Parameters	$2^{14}, \cdots, 2^{21}$
	ens	Ensemble	Yes, No
Opt.	alg	Algorithm	SGD, ADAM, RMSprop
	bs	Batch size	64, 128, 256
Data	split	Data split	All_0, $\text{Half}_{0/1}$, $\text{Quarter}_{0/1/2/3}$
	size	Data size	All, Half, Quarter

API

Extracted properties & hyperparameters

Victim's Blackbox Machine Learning Model

Adversary's Knockoff

- Can those be inferred from black box access?

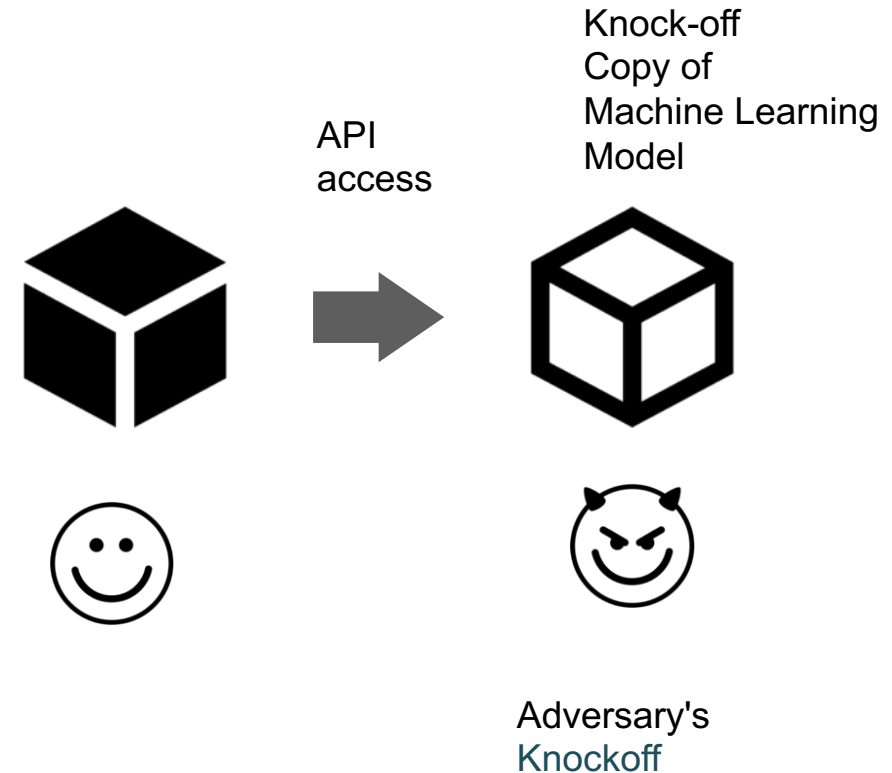**Method 1.** `kennen-o` : Learn to read-off the existence of max-pool from the output pattern.

Method 2. `kennen-i` : Craft a single "adversarial" input that looks like "1" with a max-pool layer and "0" without.
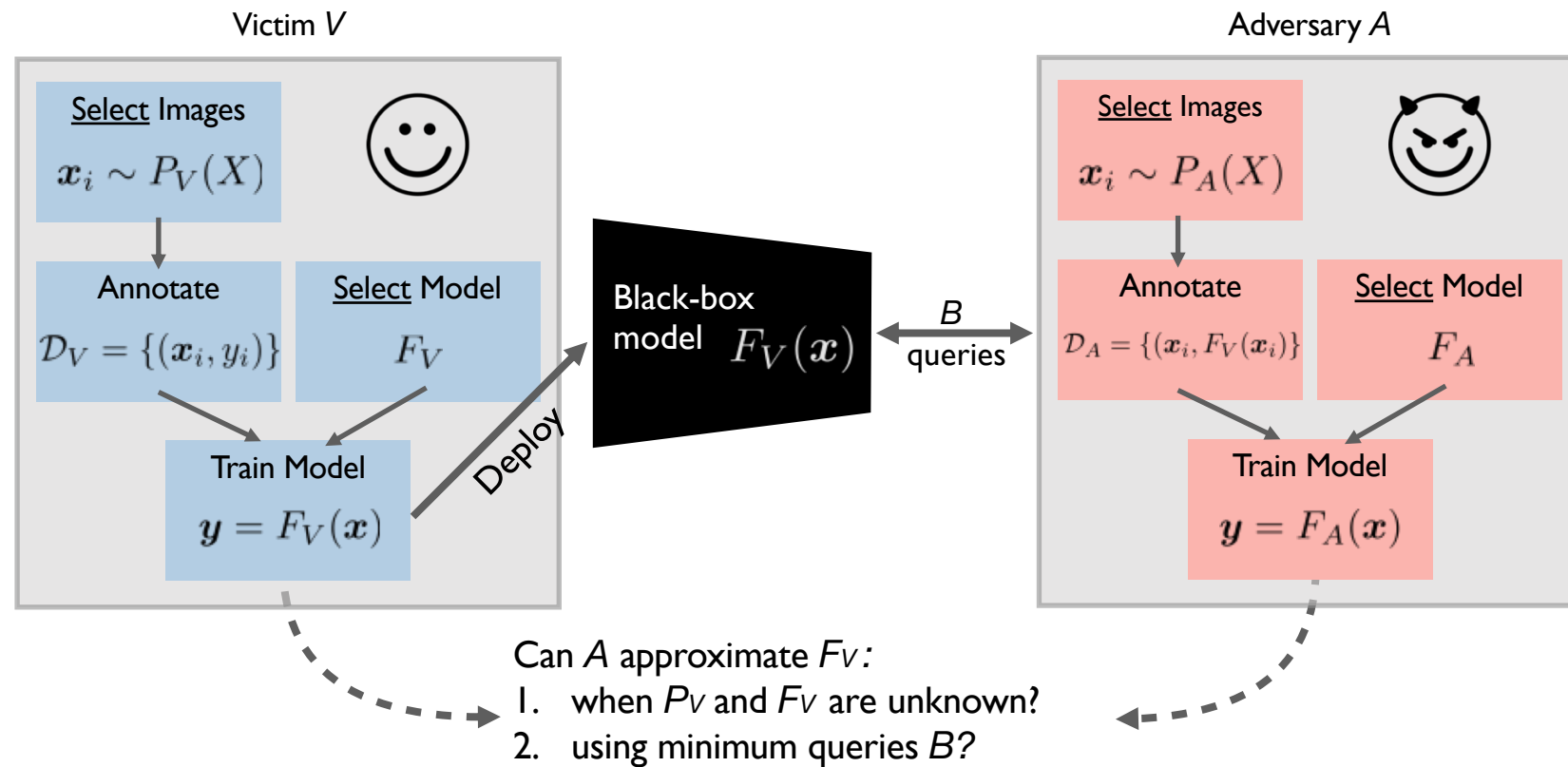
Method 3. kennen-io: attribute prediction + input crafting

Method	Output	architecture								optim		data		avg
		act	drop	pool	ks	#conv	#fc	#par	ens	alg	bs	size	split	
Chance	-	25.0	50.0	50.0	50.0	33.3	33.3	12.5	50.0	33.3	33.3	33.3	14.3	34.9
kennen-o	score	80.6	94.6	94.9	84.6	67.1	77.3	41.7	54.0	71.8	50.4	73.8	90.0	73.4
kennen-o	ranking	63.7	93.8	90.8	80.0	63.0	73.7	44.1	**62.4**	65.3	47.0	66.2	86.6	69.7
kennen-i	1 label	43.5	77.0	94.8	88.5	54.5	41.0	32.3	46.5	45.7	37.0	42.6	29.3	52.7
kennen-io	score	**88.4**	**95.8**	**99.5**	**97.7**	**80.3**	**80.2**	**45.2**	60.2	**79.3**	**54.3**	**84.8**	**95.6**	**80.1**

… but does adversary really want to know all those details to steal or attack a model?

Functionality Stealing / Knock-off Nets (CVPR'19)

- Functionality stealing generates copy

- Copy might differ internally – should be indistinguishable from the outside

- Facilitates stronger attacks

- Threat to intellectual property and monetization models

- What does adversary need to know?
  - Model (does not matter much)
  - Data (does not matter much)

- What about defenses?

API access

Knock-off Copy of Machine Learning Model

Adversary's Knockoff

Victim V

Select Images

$$\boldsymbol{x}_i \sim P_V(X)$$

Annotate

$$\mathcal{D}_V = \{(\boldsymbol{x}_i, y_i)\}$$

Select Model

$$F_V$$

Train Model

$$\boldsymbol{y} = F_V(\boldsymbol{x})$$

Deploy

Black-box model $F_V(\boldsymbol{x})$

B queries

Adversary A

Select Images

$$\boldsymbol{x}_i \sim P_A(X)$$

Annotate

$$\mathcal{D}_A = \{(\boldsymbol{x}_i, F_V(\boldsymbol{x}_i)\}$$

Select Model

$$F_A$$

Train Model

$$\boldsymbol{y} = F_A(\boldsymbol{x})$$

Can A approximate F_V:
1. when P_V and F_V are unknown?
2. using minimum queries B?

Resembles Model Distillation … but under weaker assumptions

$P_V(X)$

$F_V(X)$

Active Learning

Distillation

Student-Teacher

$$P_V = P_A$$

$P_V(X)$

$F_V(X)$

Ours
$$P_A \neq P_V$$

$P_A(X)$

- Improved query efficiency by Reinforcement Learning

x_1

x_2

x_B

Bird classifier

Victim's Blackbox

y_1 Harris Sparrow: 0.41
Frigate bird: 0.06
Bronzed Cowbird: 0.05

y_2 Harris Sparrow: 0.73
Gadwall: 0.08
Tree Sparrow: 0.06

y_B Harris Sparrow: 0.19
Pine Grosbeak: 0.17
Myrtle Warbler: 0.11

Knockoff Bird classifier

Adversary's Knockoff

test

Harris Sparrow: 0.81

Harris Sparrow: 0.52

Harris Sparrow: 0.71

Train: CelebA
Test: CelebA, OpenImg-Faces

$P_V = \text{UKN} \cdot F_V = \text{UKN} \cdot P_A = \text{CelebA}$

80% accuracy @ B=5k ($0)
86% @ B=30k ($30)

- Strong copy from a few 1000 queries

- Unfortunately difficult to defend
  - Noising
  - Top-k, argmax
  - Rounding
  - Watermarking only post-hoc attribution
  - MLCapsule – SGX-based deployment

43